NASA TECHNICAL MEMORANDUM



NASA TM X-1196

ASA TM X-1196

2 7 7



COMPARISON OF FREE-FLIGHT AND WIND-TUNNEL DATA FOR APOLLO LAUNCH ESCAPE VEHICLE AT MACH NUMBERS 0.7 AND 1.2

by Robert L. Kruse and Barbara J. Short

Ames Research Center

Moffett Field, Calif.

NATIONAL AERONAUTICS AND SPACE ADMINISTRATION . WASHINGTON, D. C. . JANUARY 1966





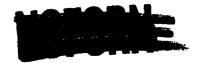
COMPARISON OF FREE-FLIGHT AND WIND-TUNNEL DATA

FOR APOLLO LAUNCH ESCAPE VEHICLE

AT MACH NUMBERS 0.7 AND 1.2

By Robert L. Kruse and Barbara J. Short

Ames Research Center Moffett Field, Calif.







"Available to U.S. Government Agencies and U.S. Government Contractors Only."

NATIONAL AERONAUTICS AND SPACE ADMINISTRATION



COMPARISON OF FREE-FLIGHT AND WIND-TUNNEL DATA

FOR APOLIO LAUNCH ESCAPE VEHICLE

AT MACH NUMBERS 0.7 AND 1.2*

By Robert L. Kruse and Barbara J. Short
Ames Research Center

SUMMARY

12698

An investigation was conducted with models of the Apollo Launch Escape Vehicle to determine the static- and dynamic-stability characteristics and drag. The static-stability and drag coefficients were obtained from low-amplitude oscillatory motions of the models and they compared reasonably well with wind-tunnel data. The dynamic stability appeared to be a function of the maximum angle of oscillation and Mach number.

INTRODUCTION

In the event of a mission abort during the launching of the Project Apollo spacecraft, the escape rocket will separate the command module from the booster. The escape rocket, escape tower, and command module comprise the Launch Escape Vehicle (L.E.V.). Following burnout of the escape rocket during the abort maneuver, the L.E.V. will coast for a short period of time before the tower and rocket separate from the command module. Free-flight tests were conducted on models of the L.E.V. to determine the stability characteristics and drag during the coasting phase of the abort maneuver. The tests were conducted in the Ames Pressurized Ballistic Range at nominal Mach numbers 0.7 and 1.2, with corresponding Reynolds numbers of 0.8×10⁶ and 1.4×10⁶ based on free-stream conditions and model diameter. The higher Mach number and Reynolds number conditions roughly correspond to the abort conditions at 60,000 feet altitude.

SYMBOLS

A frontal area $^{C}A \qquad \text{axial force coefficient, } \frac{\text{axial force}}{\text{q}A} \text{, dimensionless}$ $^{C}D \qquad \text{drag coefficient, } \frac{\text{drag}}{\text{q}A} \text{, dimensionless}$

 $C_{
m L}$ lift coefficient, $\frac{{
m lift}}{{
m qA}},$ dimensionless

$\mathtt{C}_{\mathbf{L}_{\mathtt{O}}}$	lift-curve slope, $\left(\frac{\partial C_{\underline{L}}}{\partial \sigma}\right)_{\sigma \to 0}$, per radian
C_{m}	pitching-moment coefficient, pitching moment, dimensionless
$c_{m_{\mathcal{O}}}$	rate of change of C_m with σ , $\left(\frac{\partial C_m}{\partial \sigma}\right)_{\sigma \text{trim}}$, per radian
$(c_{m_{Q}} + c_{m_{\mathring{\sigma}}})$	damping-in-pitch derivative, $\frac{\partial c_m}{\partial (\dot{\theta} d/v)} + \frac{\partial c_m}{\partial (\dot{\sigma} d/v)}$, dimensionless
\mathtt{C}_{N}	normal force coefficient, $\frac{\text{normal force}}{\alpha A}$, dimensionless
đ	maximum diameter of model, ft
I_X	moment of inertia about a longitudinal axis through the center of gravity, slug-ft 2
Iy	moment of inertia about a transverse axis through the center of gravity and perpendicular to the plane of mass symmetry, slug-ft ²
K _{1,2,3}	constants in equation (1), deg
m	mass of model, slugs
р	roll parameter, roll rate radians/ft velocity
q	free-stream dynamic pressure, lb/ft ²
R	Reynolds number based on maximum diameter and free-stream conditions, dimensionless
$r_{ m g}$	radius of gyration about a transverse axis through the center of gravity and perpendicular to the plane of mass symmetry, ft
V	velocity along flight path, ft/sec
х	distance along flight path, ft
X _{cg} .	axial distance from center of heat shield to center-of-gravity position, ft
z_{cg}	transverse distance from model center line to center-of-gravity position, ft
α	angle of attack (in the vertical plane), deg
β	angle of sideslip (in the horizontal plane), deg
η1,2	damping exponents in equation (1), ft
2	CONTRACT OF THE PARTY OF THE PA

$$\theta$$
 angle between body axis and horizontal, deg

$$\lambda$$
 wave length of pitching oscillation, ft/cycle

$$\xi$$
 dynamic-stability parameter, $C_D - C_{L_{\sigma}} + (C_{m_q} + C_{m_{\dot{\sigma}}}) \left(\frac{d}{r_g}\right)^2$

σ resultant angle of attack,
$$tan^{-1} \sqrt{tan^2 α + tan^2 β}$$
, deg

$$\sigma_{\text{rms}}$$
 root-mean-square angle of attack, $\sqrt{\frac{\int_0^x \sigma^2 dx}{x}}$, deg

$$\omega$$
 frequency of pitching oscillation, radians/sec

$$\omega_{1,2}$$
 rates of rotation of vectors which describe the model pitching motion, radians/ft

$$\frac{\omega d}{2v}$$
 reduced frequency parameter, dimensionless

MODELS AND TEST CONDITIONS

A sketch of the model used in this investigation is shown in figure 1. For these scaled models, the complex escape-tower structure of the full-scale vehicle was simplified to have four members. For the first model launched, the tower was further simplified to reduce machining time; it consisted of a single member 0.128 inch in diameter (see fig. 2(a)). A comparison of figures 2(a) and (b) shows no obvious differences in the flow characteristics of the two models with different tower simplifications and there was no apparent effect on the aerodynamic characteristics. However, with the four-member simplification the roll rate could be estimated from the spacing between the four members on successive shadowgraphs. This was found to be helpful in analyzing the motions, and the four-member simplification was used in all subsequent tests.

The models were machined from 7075-T6 aluminum alloy and had a maximum diameter of 2 inches. They were ballasted with a tungsten alloy to give the desired center-of-gravity location, which corresponds to burnout conditions of the escape rocket. The four-member tower was made of 1/16-inch-diameter music wire.

The investigation was conducted in the Ames Pressurized Ballistic Range. Time-distance and attitude histories were recorded at 24 spark-shadowgraph stations along its 203-foot length. The models were gun launched into atmospheric air and tested at two nominal Mach numbers, 0.7 and 1.2. The corresponding Reynolds numbers were 0.8×10⁶ and 1.4×10⁶ based on free-stream conditions and model diameter. Because of the asymmetry of the model, it trimmed at an angle



of attack of about 2° and lifted or swerved out of the instrumented region of the range after 120 to 160 feet of flight. A model and sabot are shown in figure 3.

DATA REDUCTION

The stability data were obtained from analyses of the pitching and yawing motions of each flight. The following equation was fitted to measured values of α and β by a least-squares fit

$$\beta + i\alpha = K_1 e^{(\eta_1 + i\omega_1)x} + K_2 e^{(\eta_2 - i\omega_2)x} + K_3 e^{ipx}$$
 (1)

Equation (1) is the solution of the linear differential equation of motion as given in reference 1. In the development of the equation a linear force and moment system was assumed.

The static-stability parameter, $C_{m_{\mathcal{O}}}$, was computed from the wave length of oscillation by means of the relation

$$C_{m_{\sigma}} = \frac{-4\pi^{2}d}{\lambda^{2} \left(\frac{\rho A}{2m}\right)^{2} \left(\frac{d}{r_{g}}\right)^{2}}$$

where

$$\lambda = \frac{2\pi}{\sqrt{\omega_1 \omega_2}}$$

The dynamic-stability parameter, $\xi,$ was determined from the constants $~\eta_1$ and $~\eta_2~$ by means of the relation

$$\eta_1 + \eta_2 = \frac{\rho A}{2m} \xi$$

where

$$\xi = C_D - C_{L_{\sigma}} + (C_{m_q} + C_{m_{\dot{\sigma}}}) \left(\frac{d}{r_g}\right)^2$$

The roll parameter, p, is related to the constants $\,\omega_{1}$ and $\omega_{2}\,$ by the relation

$$p = \frac{I_y}{I_x} (\omega_1 - \omega_2)$$
 (2)

The data-reduction program was unable, in most cases, to give an acceptable fit of equation (1) to all the values of α and β of a complete flight.



This was due to the high I_y/I_X ratio of the models which caused p (see eq. (2)) to be sufficiently large that it had a significant influence on the fit of equation (1) to the data. Consequently, in order to get the best fit of equation (1) to the values of α and β of a flight, it was necessary, in most cases, to divide each flight approximately in half and analyze each half separately.

Free-flight motions of the L.E.V. models in the $\,\alpha\text{-}\beta\,$ plane are shown in figure 4. The motions are typical of an asymmetric rolling body since they are not symmetric about the origin nor are the ellipses of uniform eccentricity. The numbered data points correspond to the stations at which the model had that α and β . The stations are not equally spaced and the nominal station distances are given in table I. The reading accuracy of these angles is approximately ±0.10°. The curves are the best fit of equation (1) to the data points. Because of the questionable fit of equation (1) to the data points, the reliability of the stability data reduced from the tests was investigated. Test 647, figure 4(a), was chosen for the investigation because the fit of equation (1) had the greatest least-squares error. Also presented in figure 4(a) is a dashed curve hand faired through the data points. Plots of α and β vs x were used as an aid in fairing this curve. From this curve, a resultant angleof-attack plot was constructed from which wave lengths were taken. For stations 1 through 13, a wave length of 57 feet was determined from the faired curve as compared to 55.6 feet found from the fit of equation (1) resulting in a difference in $C_{m_{\sigma}}$ of 4 percent. For stations 11 through 21, a wave length of 61 feet was determined from the faired curve as compared to 62.1 feet from the fit of equation (1) resulting in a difference in $\bar{c}_{m_{\sigma}}$ of 3 percent. It is seen that while the fitted curve appears to have a rather large error in the fit, there is not a great difference between the values of $\,{\rm C}_{m_{\mathcal O}}\,\,$ determined by the two methods. A difference in \$ could not be determined in a similar manner; however, a qualitative comparison can be made by observing the peaks of the faired and fitted curves. It can be seen that the peaks of the faired curve increase in amplitude as do those of the fitted curve.

The drag coefficient, $C_{\rm D}$, was determined from the deceleration of the model by the procedure described in reference 2.

RESULTS AND DISCUSSION

The physical characteristics of the models are given in table II. Data from four flights at $M \approx 0.7$ and two at $M \approx 1.2$ are given in table III. In the column labeled "Included stations" the first group of stations for each test number indicates the length of flight before the model swerved out of the instrumented region of the range. From this group of stations, drag data are obtained. Also listed in this column are partial tests from which stability data are obtained. Test 654, however, has all the data in one entry and test 655, which has no reduced data, will be discussed separately.

The wind-tunnel data from Ames Unitary Plan Wind Tunnel and AEDC Von Kármán Facility Tunnel A, with which the data of this investigation are compared, are given in table IV.





Static Stability

The static-stability results are presented in figure 5. In figure 5(a) the static-stability parameter, $C_{m_{\overline{0}}}$, is plotted as a function of σ_m . The data points from the subsonic tests which were at nearly the same Mach numbers are connected by dashed lines showing the influence of amplitude on static stability. The data points from the supersonic tests have nearly the same σ_m , 3° to 3.5°. The apparent scatter can be largely attributed to the variation in Mach number as seen in figure 5(b), where $C_{m_{\overline{0}}}$ is plotted versus Mach number. Also shown in figure 5(b) are the upper and lower envelopes of slopes taken from figure 6 in which the wind-tunnel data are transferred to the moment center of the models of the present investigation. Since the wind-tunnel data were furnished for only 5° angle-of-attack intervals, the shape of the curve faired through the points is subject to some uncertainty, as is the static-stability parameter, $C_{m_{\overline{0}}}$, taken at the trim point ($\alpha\approx 1.5^{\circ}$). It is seen in figure 5(b) that the present results agree substantially with the wind-tunnel data.

The resultant angle-of-attack history for test 655, listed in table III with no reduced data, is shown in figure 7. It is speculated that during the sabot separation the model received an unusually large disturbance causing the model to exceed the limit of static stability, about 30° as determined from wind-tunnel tests. The model then rotated to an angle of attack of about 300° and reversed its rotation. From the limited amount of motion, it could not be determined whether the model would return to the nose-forward attitude, oscillate heat-shield forward, or tumble.

Dynamic Stability

The dynamic-stability results are shown in figure 8. The parameter is presented as a function of σ_m in figure 8(a). The fit of equation (1) to the data points is insensitive to small changes in the parameters η_1 and η_2 and, since § is determined from these parameters, some scatter is expected. However, there appears to be a trend of decreasing stability with increasing maximum angle of oscillation. The influence of Mach number on the dynamic stability can be seen in figure 8(b). The trend of decreasing stability with increasing Mach number appears to have a discontinuity between the subsonic and supersonic Mach numbers; the data might also be interpreted as showing an overall increase in dynamic stability with Mach number. The effects of Mach number and amplitude of oscillation on & could not be separated; however, it is possible that the results of the subsonic tests were more influenced by amplitude, while the supersonic tests were at nearly the same amplitude and thus more influenced by Mach number as was the case for the static-stability results. Figure 9, which is a crossplot of figures 5 and 8, shows the dynamic-stability parameter, ξ , as a variation of the pitching-moment-curve slope, $C_{m\sigma}$. It can be seen that there is an increase in dynamic stability with an increase in static stability.





Drag

The drag coefficient, C_D , was deduced from the data by the method described in reference 2 and is plotted as a function of average Mach number for each run in figure 10. Also shown for comparison are wind-tunnel values interpolated from figure 11 for the $\sigma_{\rm rms}$ and Mach number of each run. The drag curves of figure 11 were calculated from the wind-tunnel axial- and normal-force data.

The agreement between free-flight and wind-tunnel drag data in figure 10 is generally quite good. The free-flight data, however, are consistently higher than the wind-tunnel data. The difference is possibly due to the lower Reynolds numbers of the free-flight tests. At Mach numbers 0.7 and 1.2 the Reynolds numbers of the wind-tunnel tests were 2.9×10⁶ and 3.7×10⁶, respectively, while the corresponding Reynolds numbers of the free-flight tests were 0.8×10⁶ and 1.4×10⁶. In addition, differences in base pressure could be a factor. Base-pressure corrections have not been applied to the wind-tunnel data, whereas true base pressure is implicit in the free-flight data.

CONCLUDING REMARKS

Free-flight investigations have been made of models of the Apollo Launch Escape Vehicle at nominal Mach numbers 0.7 and 1.2 and the results have been compared with wind-tunnel data. The model was found to be statically stable nose forward up to the maximum angle tested, 7.6° , and the results were in substantial agreement with wind-tunnel data.

The dynamic stability appeared to decrease as the maximum angle of oscillation was increased, and to increase as the static stability was increased.

The drag was measured and found to compare reasonably well with wind-tunnel data.

Ames Research Center
National Aeronautics and Space Administration
Moffett Field, Calif., Sept. 28, 1965

REFERENCES

- 1. Nicolaides, John D.: On the Free-Flight Motion of Missiles Having Slight Configurational Asymmetries. BRL Rep. 858, Aberdeen Proving Ground, Md., 1953.
- 2. Seiff, Alvin: A New Method for Computing Drag Coefficients From Ballistic Range Data. J. Aerospace Sci., vol. 25, no. 2, Feb. 1958, pp. 133-134.



TABLE I.- NOMINAL STATION DISTANCES

Station	Distance, ft	Station	Distance, ft
1 2 3 4 5 6 7 8 9 10 11 12	0 7 14 21 28 35 42 56 66.5 77.5 94.5	13 14 15 16 17 18 19 20 21 22 23 24	101.5 108.5 115.5 122.5 129.5 140 150.5 161 171.5 182 192.5 203

TABLE II.- PHYSICAL CHARACTERISTICS OF MODELS

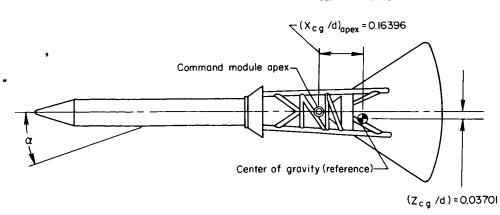
Run number	d, in.	Mass, slugs	X _{cg}	Z _{cg}	<u>l</u>	$I_y \times 10^4$, slug-ft ²	$I_x \times 10^5$, slug -ft ²	$\left(\frac{d}{r_g}\right)^2$
647 654 655 657 666 668	1.998 1.998 2.003 2.001 1.999	.01000 .01014 .01011 .01012	.712	.037 .037 .035 .035	3.146 3.152 3.184 3.146 3.149 3.149	2.43 2.34 2.46 2.38 2.36 2.38	1.70 1.70 1.75 1.75 1.75	1.13 1.18 1.15 1.18 1.19 1.18

TABLE III.- TEST CONDITIONS AND FINAL DATA

Test number	Included stations	М	R×10 ⁻⁶	V, ft/sec	$\sigma_{ m rms}$, deg	σ _m , deg	$\mathtt{c}_\mathtt{D}$	$c_{m_{\sigma}}$	ŧ,	<u>ωd</u> 2v
647	1 - 21 1 - 13 11 - 21	0.72 .74 .65	0.81 .84 .74	817 847 740	3.5 	5.92 6.88	0.64	-0.74 -0.60	1.4 3.0	0.0094 .0084
654	1 - 15	1.31	1.50	1480	2.3	3.54	.88	84	4	.0102
65'7	1 - 19 1 - 9 8 - 19	0.62 .66 .59	0.76 .80 .72	691 736 658	3.1	5.03 5.05	.63 	86 82	3.1 -1.8	.0106 .0103
666	1 - 20 1 - 10 8 - 17	.74 .78 .72	.87 .92 .84	832 880 805	4.7 	7.14 7.60	.65 	60 60	5.1 2.2	.0087 .0087
668	1 - 20 1 - 11 10 - 20	1.16 1.24 1.04	1.35 1.45 1.21	1303 1400 1168	2.1	3.33 3.15	•93 	 97 -1.19	-2.1 -5.1	.0110 .0122
655	1 - 14	0.75	0.84	862						



TABLE IV.- WIND-TUNNEL DATA



Mach number	α	$^{\mathrm{C}}\mathrm{_{A}}$	$c_{ m N}$	$c_{m_{ m cg}}$	$c_{m_{apex}}$
0.50000	0	0.4540	-0.0150	0.0093	-0.0050
	5.00	.5050	.1550	0459	0900
	10.00	.5300	.2210	0241	0800
	15.00	.4900	.2800	0250	0890
	20.00	.4560	.3500	0207	0950
0.70000	0 5.00 10.00 15.00 20.00	.5220 .6130 .6050 .5770 .5370	0150 .1700 .2380 .3000	.0319 0344 0486 0535 0541	.0150 0850 1100 1240 1360
0.90000	0	.6300	0050	.0305	.0080
	5.00	.7260	.1850	0478	1050
	10.00	.7520	.2600	0555	1260
	15.00	.7200	.3250	0591	1390
	20.00	.6700	.4050	0598	1510
1.00000	0	.8000	0	.0336	.0040
	5.00	.9450	.1780	0368	1010
	10.00	.9650	.2530	0438	1210
	15.00	.8540	.3120	0482	1310
	20.00	.8500	.3980	0353	1320
1.10000	0	.9000	.0050	.0341	0
	5.00	.9860	.1700	0336	0980
	10.00	.9870	.2480	0428	1200
	15.00	.9450	.3050	0380	1230
	20.00	.8920	.3850	0239	1200
1.17000	0 5.00 10.00 15.00 20.00	.8050 .9060 .9300 .8950 .8550	.0020 .1780 .2680 .3300	.0351 0433 0576 0488 0283	.0050 1060 1360 1360 1250
1.27000	0	.8040	0	.0328	.0030
	5.00	.9000	.1800	0442	1070
	10.00	.9220	.2810	0698	1500
	15.00	.8980	.3400	0560	1450
	20.00	.8600	.4240	0306	1320
1.48000	0	.7540	0	.0339	.0060
	5.00	.8400	.1750	0442	1040
	10.00	.9000	.2900	0851	1660
	15.00	.9290	.3700	0579	1530
	20.00	.9200	.4650	0147	1250



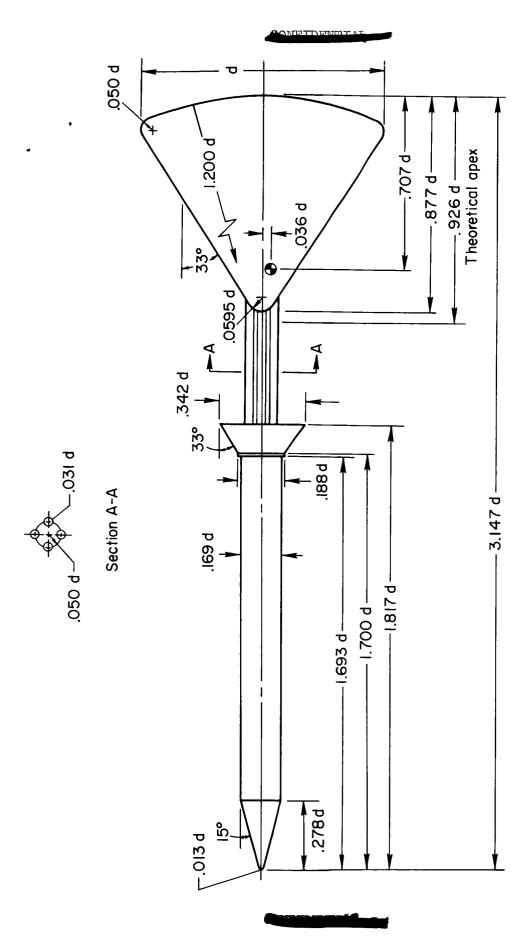


Figure 1.- Apollo Launch Escape Vehicle model.

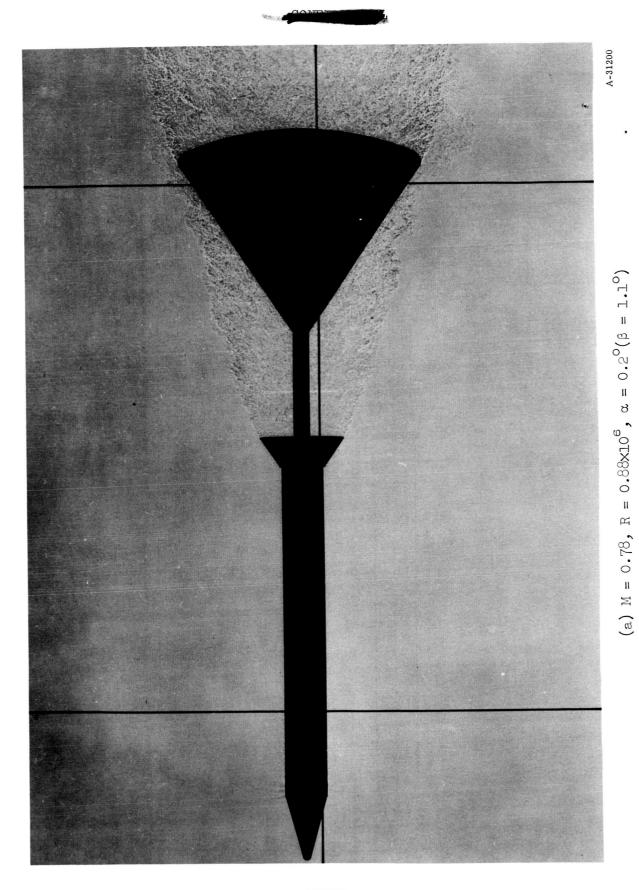
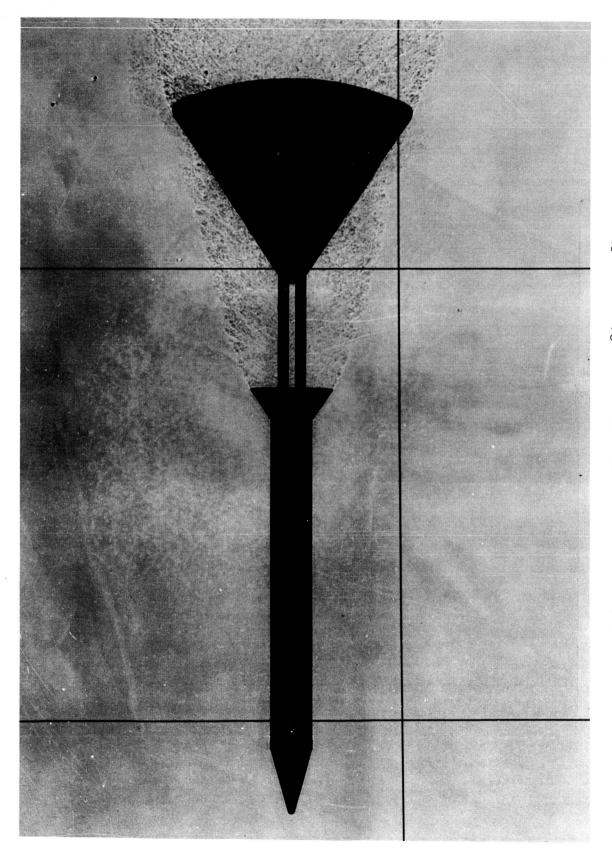


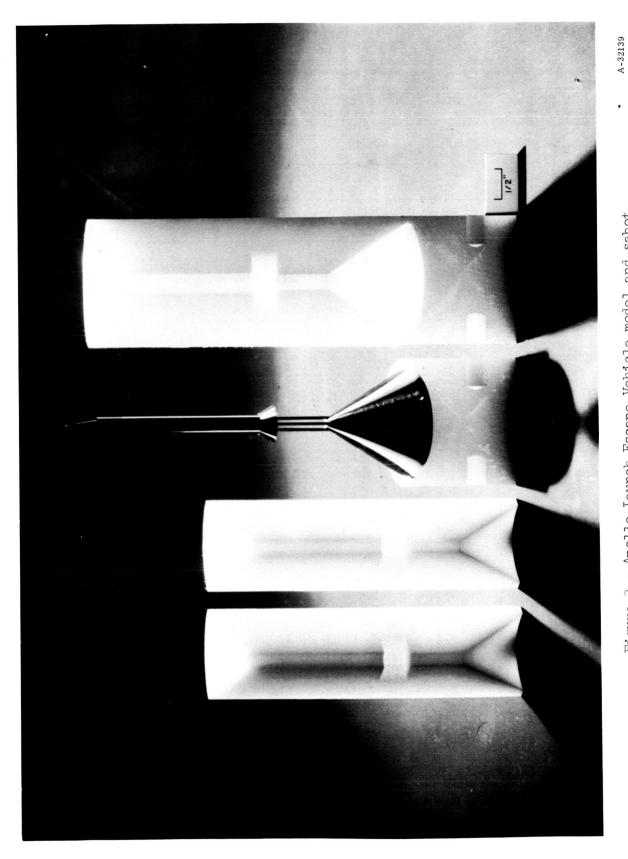
Figure 2.- Typical shadowgraphs of Launch Escape Vehicle model in flight.





(b) M = 0.72, R = 0.85x106, α = 0.32°(β = -0.55°)

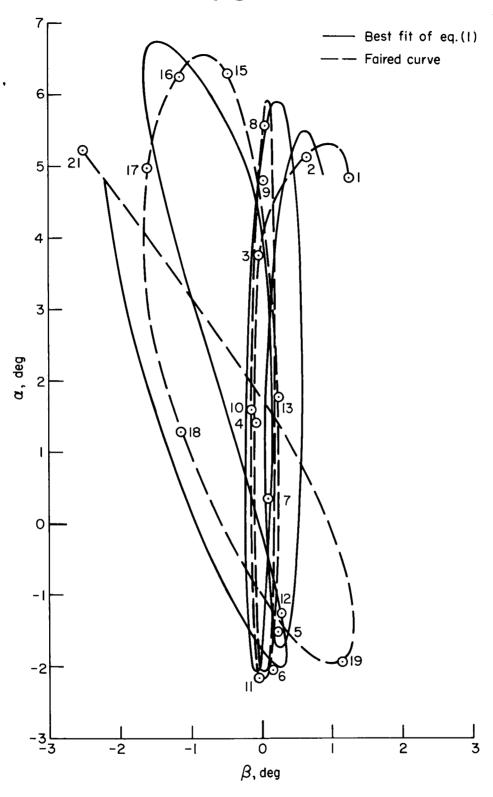
Figure 2.- Concluded.



CONF'LDEINE

Figure 3.- Apollo Launch Escape Vehicle model and sabot.



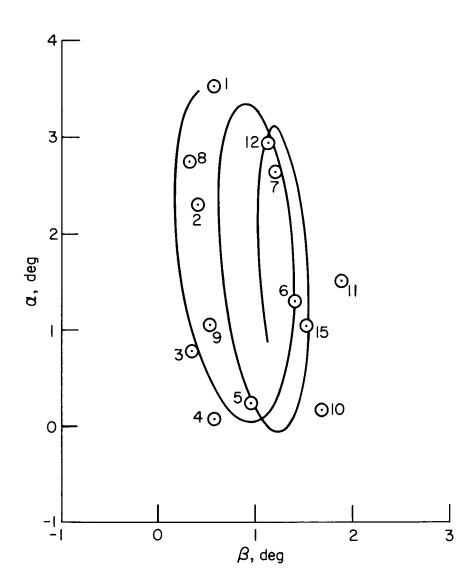


(a) Test 647, M = 0.72.

Figure 4.- Free-flight motions.



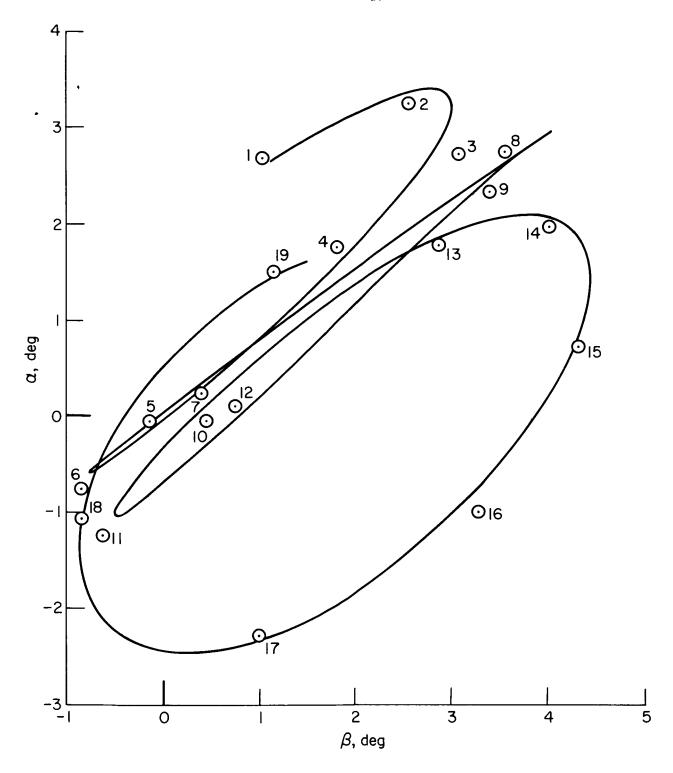




(b) Test 654, M = 1.31.

Figure 4.- Continued.



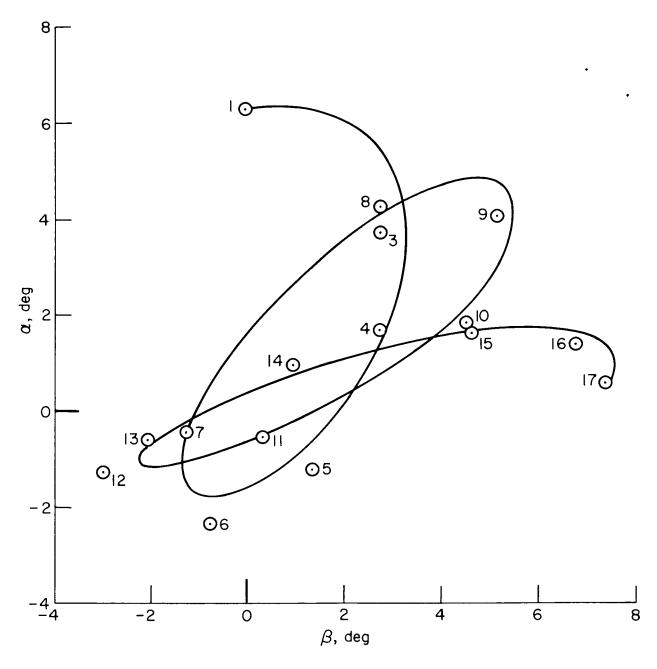


(c) Test 657, M = 0.62.

Figure 4.- Continued.



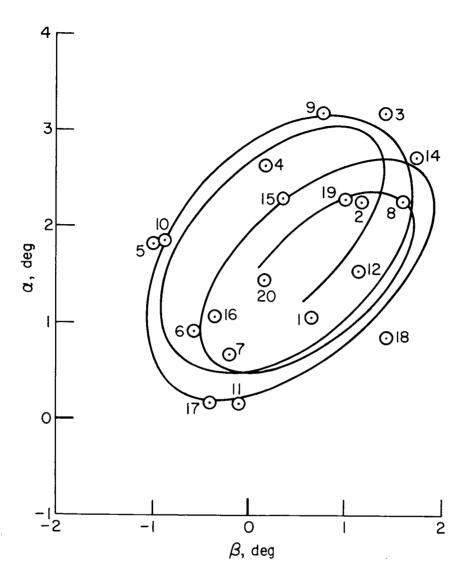




(d) Test 666, M = 0.74.

Figure 4.- Continued.

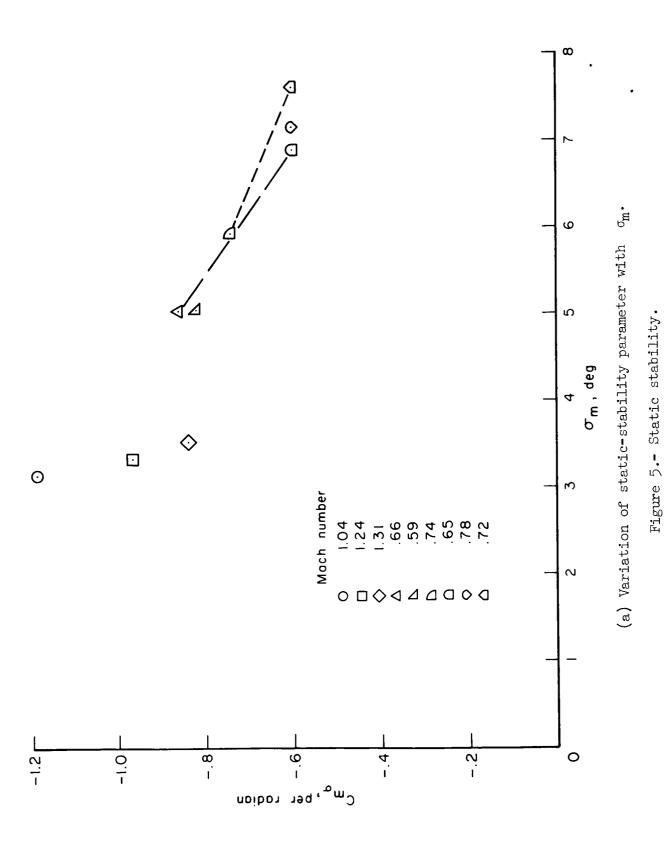


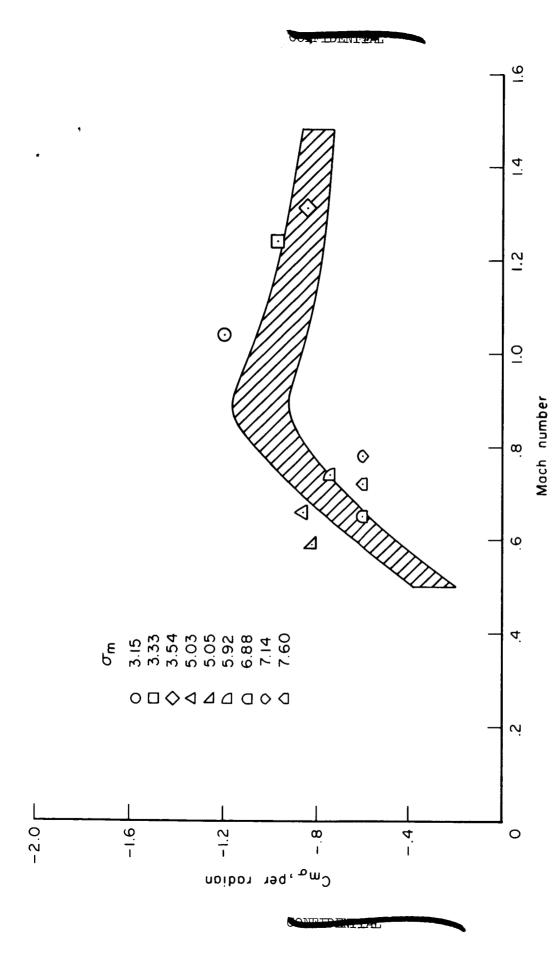


(e) Test 668, M = 1.16.

Figure 4.- Concluded.

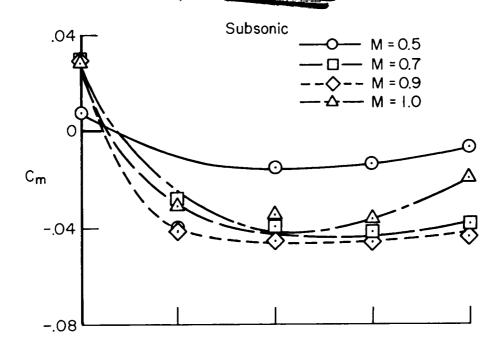






(b) Variation of static-stability parameter with Mach number.

Figure 5.- Concluded.



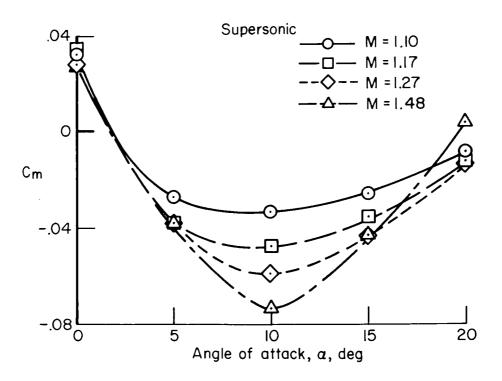


Figure 6.- Wind-tunnel data transferred to a moment center at $\rm X_{\rm cg}/d$ = 0.707, $\rm Z_{\rm cg}/d$ = 0.036.

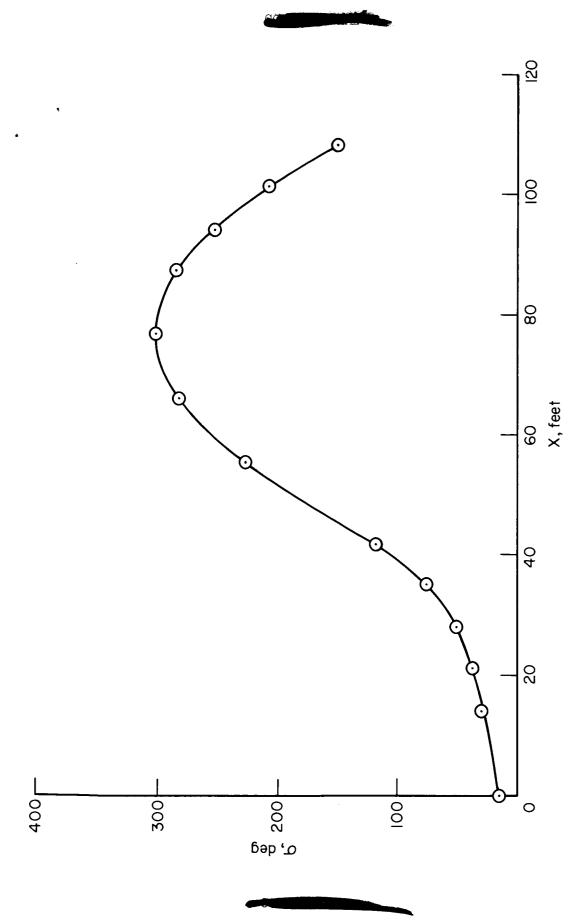
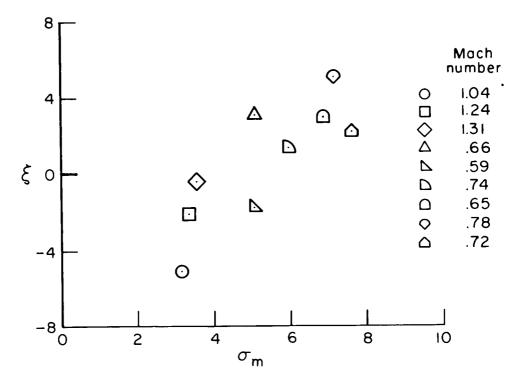
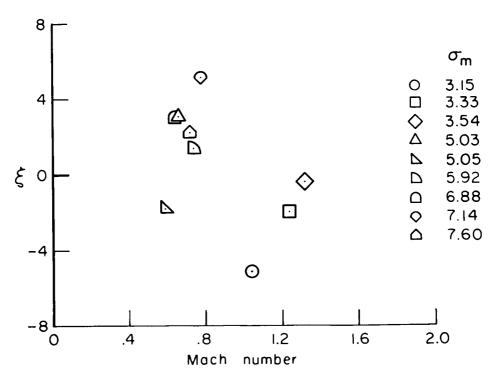


Figure 7.- Motion of model after large disturbance; test 655, M = 0.75.





(a) Variation of dynamic-stability parameter with σ_{m} .



(b) Variation of dynamic-stability parameter with Mach number.

Figure 8.- Dynamic stability.

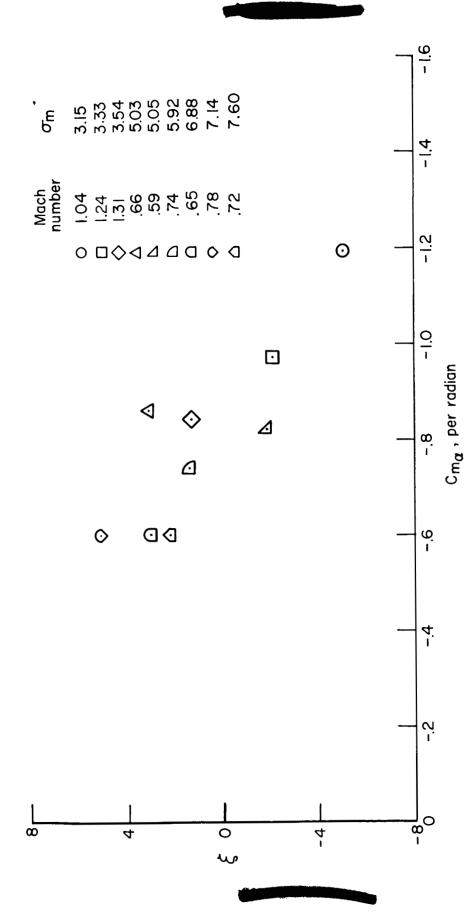


Figure 9.- Variation of dynamic-stability parameter with static-stability parameter.



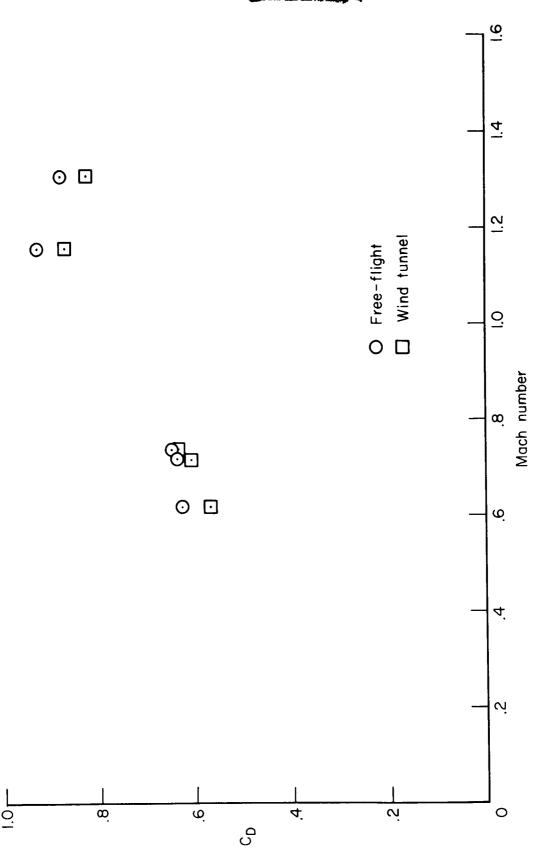
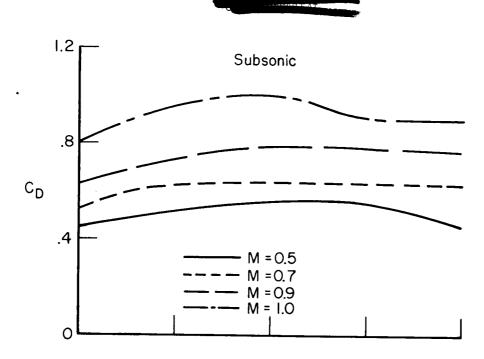


Figure 10.- Variation of drag coefficient with Mach number.



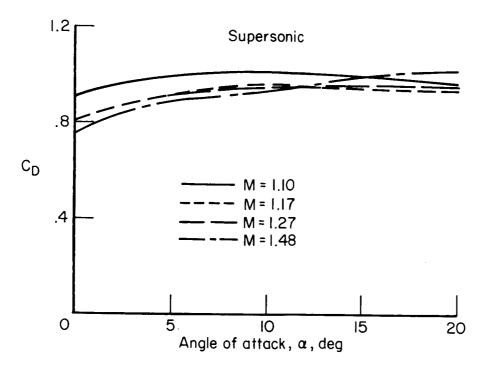


Figure 11.- Drag coefficient from wind-tunnel axial- and normal-force data.